

Effects of a less tapered window on data quality in super-res mode

Igor Ivić Research Scientist, CIMMS/NSSL

> TAC Norman, OK – November 4th, 2015

MOTIVATION



 Polarimetric variables are mor decrease in SNR than the sp From SNR of 20 dB to SNR of 2 dB
SD(Z) goes up by ~1.3x (RECT WIN) SD(Z) goes up by ~1.3x (VON HANN WIN)
But for DP variables RECT WIN SD(Z_{DR}) by ~6.7x SD(CC) by ~104x SD(\vec{p}_{DP}) by ~6x

- Application of von Hann window ii $\begin{array}{c} SD(Z_{DR}) & by \sim 6.7x \\ SD(CC) & by \sim 135x \\ SD(\phi_{DP}) & by \sim 6.8x \end{array}$

• If M = 16, $v_a \approx 9$ m s⁻¹ (VCP12) at 20 dB SNR

- Rect \rightarrow Von Hann \rightarrow SD(7) \uparrow 32% USING VON HANN WINDOW SIGNIFICANTLY DEGRADES THE QUALITY OF DP ESTIMATES! \Rightarrow SD(φ_{DP}) + \Rightarrow 370

 \Rightarrow SD(CC) \uparrow 55%

VON HANN

RECT. VS. VON HANN WIN.



- Rectangular window produces higher quality data than von Hann in terms of SD but the effective beamwidth increases from about 1.08° to 1.47°
 - This raises concerns that some weather features might be obscured (e.g., tornado debris signatures).
- To mitigate such possibility replacing von Hann with alternative window which yields effective beamwidth between 1.1° and 1.47° has been proposed

$$ALT(n) = A - B\cos\left(2\pi \frac{n+0.5}{M}\right)$$

- A = 0.75 & B = 0.25 ⇒ effective beamwidth is 1.27° - A = 0.75 & B = 0.15 ⇒ effective beamwidth is 1.34°

EFFECTIVE ANTENNA PATTERNS





BIAS









STANDARD DEVIATION

6



Super-Res Reflectivity

REFLECTIVITY (dBZ) SITE: NOP4 DATE: 05/19/13 TIME(UTC): 23:13:37 VCP #212 Cut #1 EI 0.53° 95 dBZ 80 400 kn 70 65 60 55 50 45 250 km 40 35 30 200 km 25 20 150 km 15 10 5 0 -10 -32 <th

Reflectivity with Radial Based Noise Power

VCP 212 El. 0.53° M = 16 $r_a = 470 \text{ km}$ $v_a = 8 \text{ m s}^{-1}$ VON HANN WIN. EFF. BW = 1.08°



Super-Res ZDR

DIFFERENTIAL REFLECTIVITY (dB) SITE: NOP4 DATE: 05/19/13 TIME(UTC): 23:13:37 VCP #212 Cut #1 EI 0.53° Inf 6 dB 5 3 2.5 2 250 km 1.5 1 200 km. 0.5 0.25 0 -0.5 -2 4 -Inf <th Z_{DR} with Radial Based Noise Power

VCP 212 El. 0.53° M = 16 $r_a = 470 \text{ km}$ $v_a = 8 \text{ m s}^{-1}$ VON HANN WIN. EFF. BW = 1.08°



Super-Res ZDR

VCP 212 El. 0.53° M = 16 $r_a = 470 \text{ km}$ $v_a = 8 \text{ m s}^{-1}$ ALT_1p27 WIN. EFF. BW = 1.27°





Inf

5

4

3

2.5

2

1.5

1

0.5

0.25

-0.5

-2

-4

-Inf

<th

0

6 dB

Super-Res ZDR

DIFFERENTIAL REFLECTIVITY (dB) SITE: NOP4 DATE: 05/19/13 TIME(UTC): 23:13:37 VCP #212 Cut #1 EI 0.53° 250 km 200 km.

 $Z_{\rm DR}$ with Radial Based Noise Power

VCP 212 El. 0.53° *M* = 16 *r*_a = 470 km *v*_a = 8 m s⁻¹ RECT. WIN. EFF. BW = 1.47°



Super-Res Legacy Correlation Coefficient

VCP 212 El. 0.53° M = 16 $r_a = 470 \text{ km}$ $v_a = 8 \text{ m s}^{-1}$ VON HANN WIN. EFF. BW = 1.08°





Super-Res Legacy Correlation Coefficient

VCP 212 El. 0.53° M = 16 $r_a = 470 \text{ km}$ $v_a = 8 \text{ m s}^{-1}$ ALT_1p27 WIN. EFF. BW = 1.27°





Super-Res Legacy Correlation Coefficient

VCP 212 El. 0.53° M = 16 $r_a = 470 \text{ km}$ $v_a = 8 \text{ m s}^{-1}$ RECT. WIN. EFF. BW = 1.47°





Super-Res Differential Phase

DIFFERENTIAL PHASE (deg) SITE: NOP4 DATE: 05/19/13 TIME(UTC): 23:13:37 VCP #212 Cut #1 EI 0.53° 180 deg 167 400 ki 154 141 129 116 103 250 km 90 200 km 77.1 64.3 150 km 51.4 38.6 100 km 25.7 50 km 12.9 0 <th $\phi_{\rm DP}$ with Radial Based Noise Power

VCP 212 El. 0.53° M = 16 $r_a = 470 \text{ km}$ $v_a = 8 \text{ m s}^{-1}$ VON HANN WIN. EFF. BW = 1.08°



Super-Res Differential Phase

DIFFERENTIAL PHASE (deg) SITE: NOP4 DATE: 05/19/13 TIME(UTC): 23:13:37 VCP #212 Cut #1 EI 0.53° 180 deg 167 400 km 154 141 129 300 km 116 103 250 km 90 200 km 77.1 64.3 150 km 51.4 38.6 100 km 25.7 50 km 12.9 0 <th ϕ_{DP} with Radial Based Noise Power

VCP 212 El. 0.53° *M* = 16 *r*_a = 470 km *v*_a = 8 m s⁻¹ ALT_1p27 WIN. EFF. BW = 1.27°



Super-Res Differential Phase

DIFFERENTIAL PHASE (deg) SITE: NOP4 DATE: 05/19/13 TIME(UTC): 23:13:37 VCP #212 Cut #1 EI 0.53° 180 deg 167 400 km 154 141 129 300 km 116 103 250 km 90 200 km 77.1 64.3 150 km 51.4 38.6 100 km 25.7 50 km 12.9 0 <th $\phi_{\rm DP}$ with Radial Based Noise Power

VCP 212 El. 0.53° M = 16 $r_a = 470 \text{ km}$ $v_a = 8 \text{ m s}^{-1}$ RECT. WIN. EFF. BW = 1.47°



Super-Res HCA

VCP 212 El. 0.53° M = 16 $r_a = 470 \text{ km}$ $v_a = 8 \text{ m s}^{-1}$ VON HANN WIN. EFF. BW = 1.08°





Super-Res HCA

VCP 212 El. 0.53° *M* = 16 *r*_a = 470 km *v*_a = 8 m s⁻¹ ALT_1p27 WIN. EFF. BW = 1.27°





Super-Res HCA

VCP 212 El. 0.53° M = 16 $r_a = 470 \text{ km}$ $v_a = 8 \text{ m s}^{-1}$ RECT. WIN. EFF. BW = 1.47°































SUMMARY



- As SNR decreases standard deviation of polarimetric variables increases more than in the case of the spectral moments
 - Application of von Hann window in super-res mode exacerbates this effect.
- Replacement of von Hann with the less tapered window has been proposed to mitigate this effect
 - Less tapered window means less noisy data but larger effective BW.
 - But decrease of DP variable azimuthal resolution is not likely to have adverse effects.
 - May improve the function of the hydrometeor classification algorithms (HCA).

SUMMARY contd. ...



- Von Hann window can be replaced with
 - rectangular window
 - Effective beamwidth increases from about 1.08° to 1.47°.
 - other less tapered window
 - Effective beamwidth can be controlled (e.g., 1.27° or 1.34° in the cases shown).
- Alternatively offoctive beamwidth can be varied based John Krause
 - E.g., apply win and rectangula

John Krause Jeff Brogden Eddie Forren Jeff Snyder

NR > 15 dB

